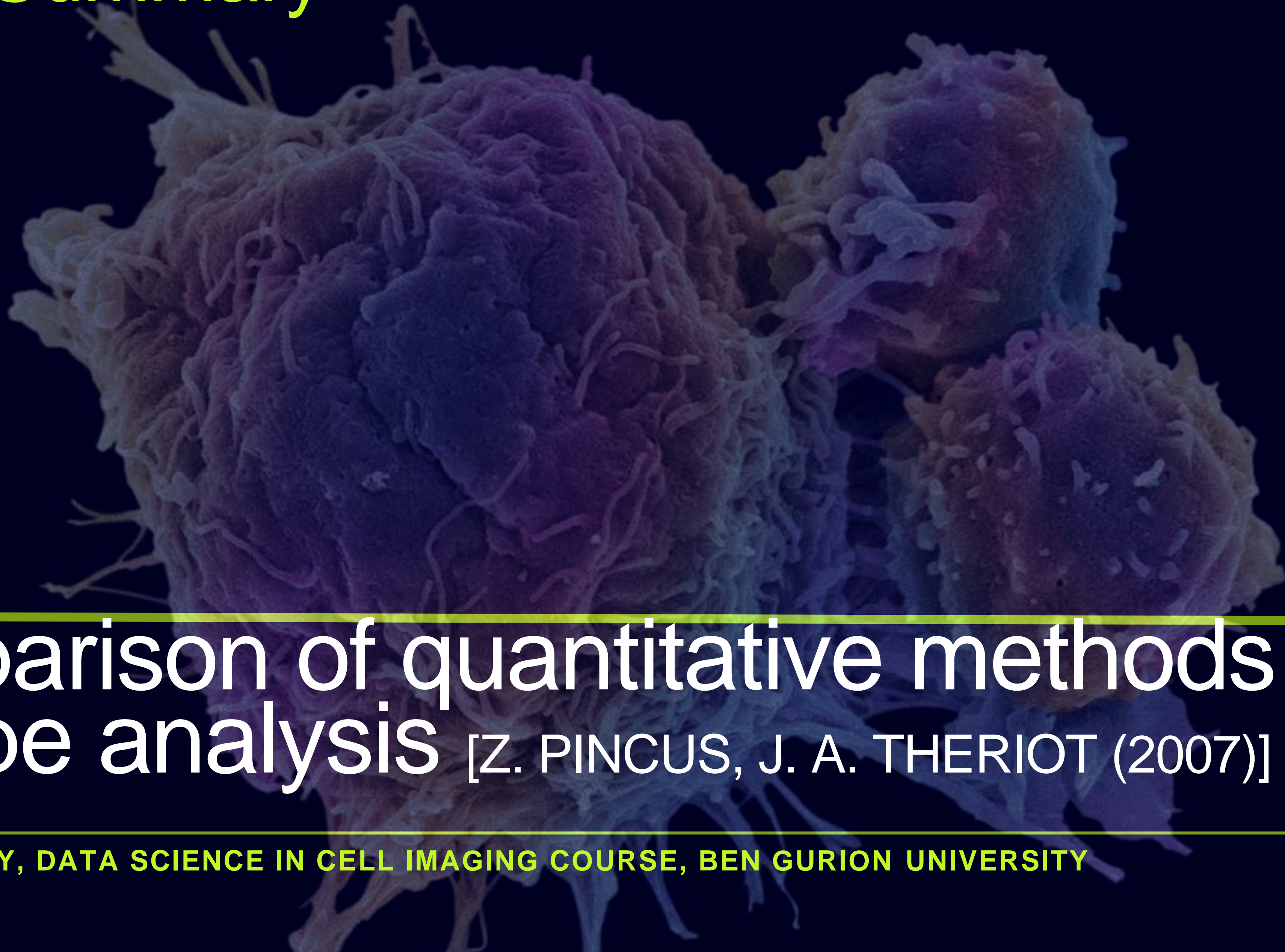


# Paper Summary



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## Comparison of quantitative methods for cell - shape analysis [Z. PINCUS, J. A. THERIOT (2007)]

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# Previous Paper Summaries

- Extract ***data points*** from microscopy image stacks about the cells.
- Shallow/Deep learning model.
- Results!

# Wait....what data?





# Why cell shape is important?

- Cell morphology is often functionality related.
- Some cancer cells even change shape between different stages.

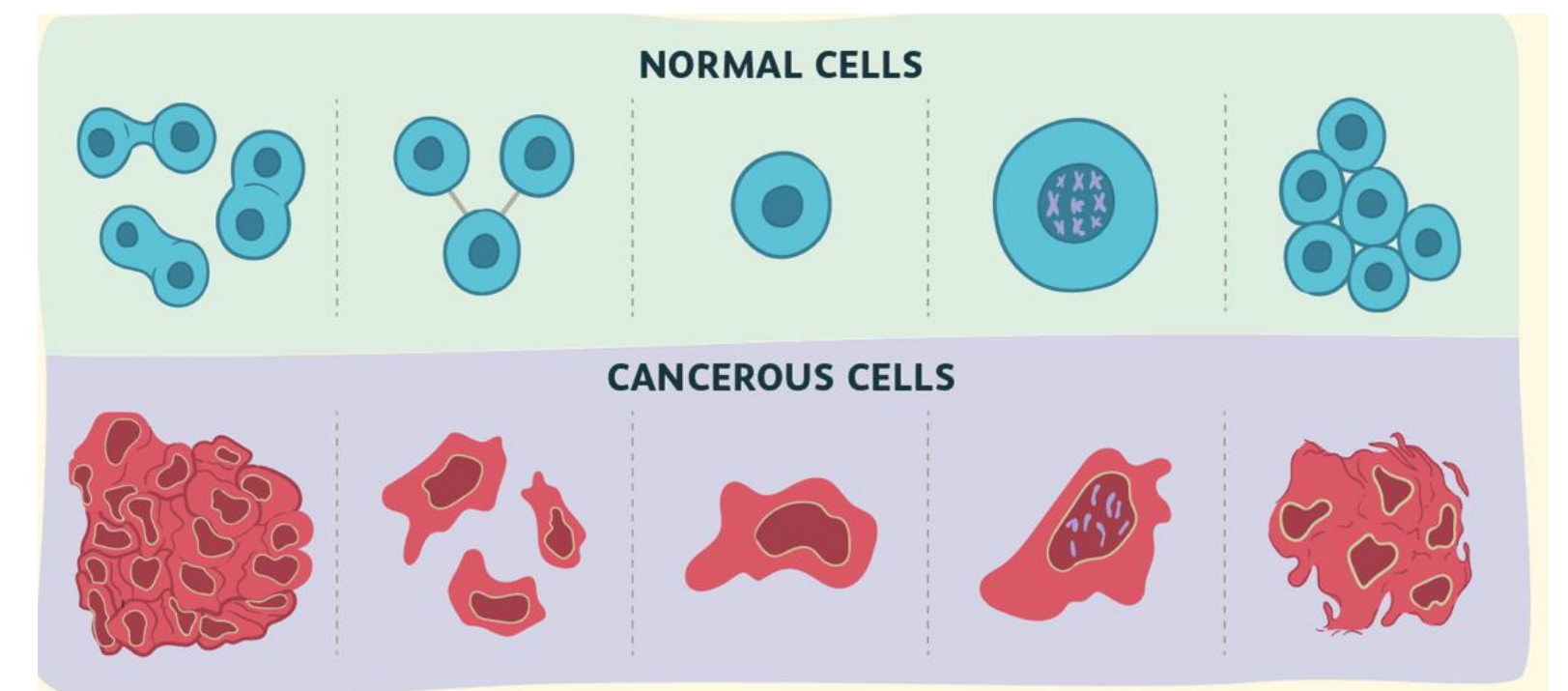
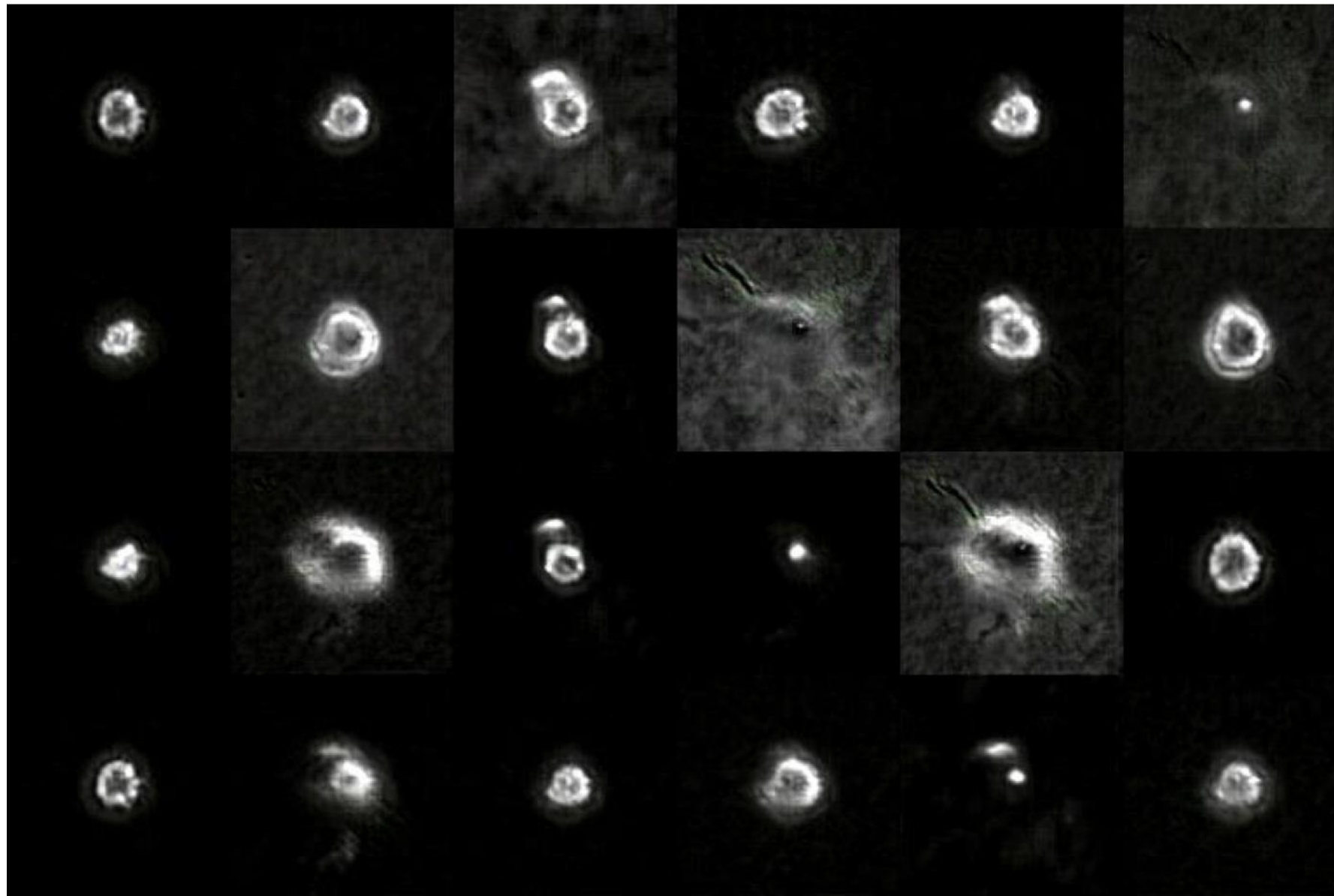


Image taken from [verywellhealth.com](https://www.verywellhealth.com)

# Quantifying a shape

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- We need features that encode the shape into numbers (a vector).
- Features pre-requisites (i.e. criteria for good features):
  1. Fidelity
  2. Meaningful
  3. Interpretable

# Feature Criterion No. 1 - Fidelity

- Encoded data must faithfully encode the shape, no added information.
- Good methods will discard a lot of the shape data, as it is un-relevant.



# Feature Criterion No. 2 - Meaningful

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- Encoded information must be **biologically** meaningful.
- Often if not always task specific.

# Feature Criterion No. 3 - Interpretable

- Extension of the second criterion.
- Intuitive measurements.
- Example - for self-propelled movement, a good feature might be the ratio between the radius and circumference of the cell.





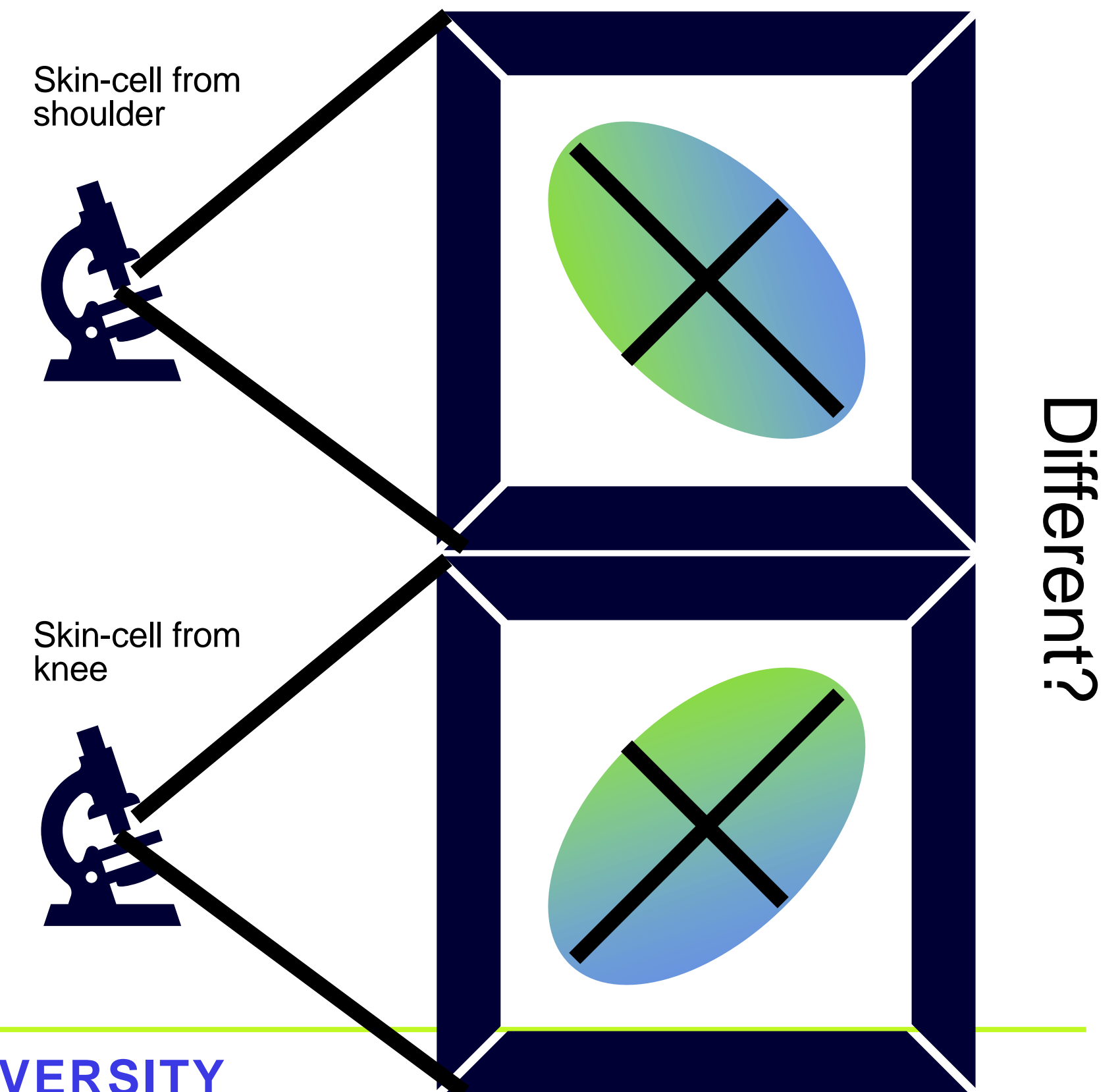
# Intuitive, simple, shape features

- height, width, alignment, circularity.
- All are low on fidelity.
- Most low on meaningfulness as well (But very task specific!).



# Shape numeric representation

1. Segmentation.
2. Dimensions re-representation.



# Segmentation, Binary Masks & Distance Heat Maps

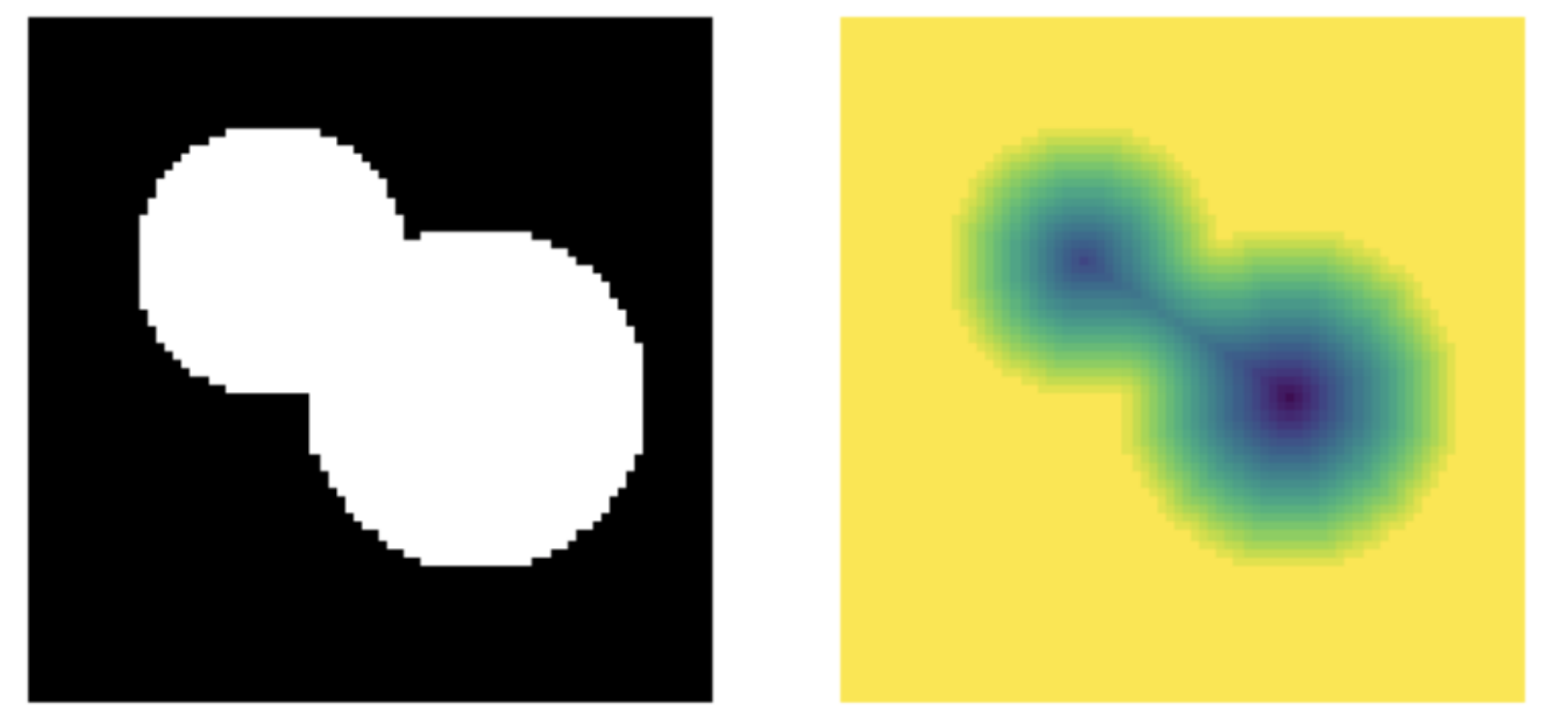


Image taken from scikit-image documentation

Binary masks	Distance heat maps
Explicit boundary	Implicit boundary
Contains a lot of redundant data	Contains a lot of redundant data
Does not use intensity.	Considers intensity as a significant feature.
Demands same topology and can cause many errors	Prevalent in the computer vision community and easy to implement

# Re-representation of shape data

General notion:

- Transform the representation to a higher dimensional space.
- Choose the best dimensions that balance fidelity and compactness.

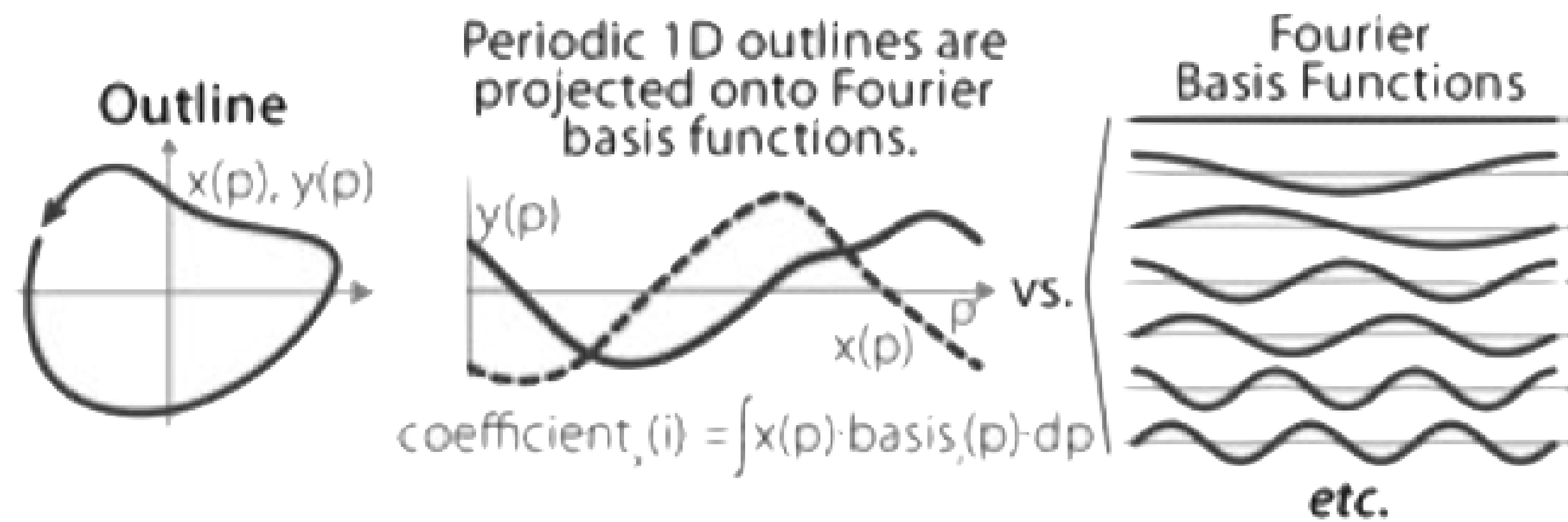
## Quantifying a shape

- We need features that encode the shape into numbers (a vector).
- Features pre-requisites (i.e. criteria for good features):
  1. Fidelity
  2. Meaningful
  3. Interpretable



# Fourier & Linear Projections

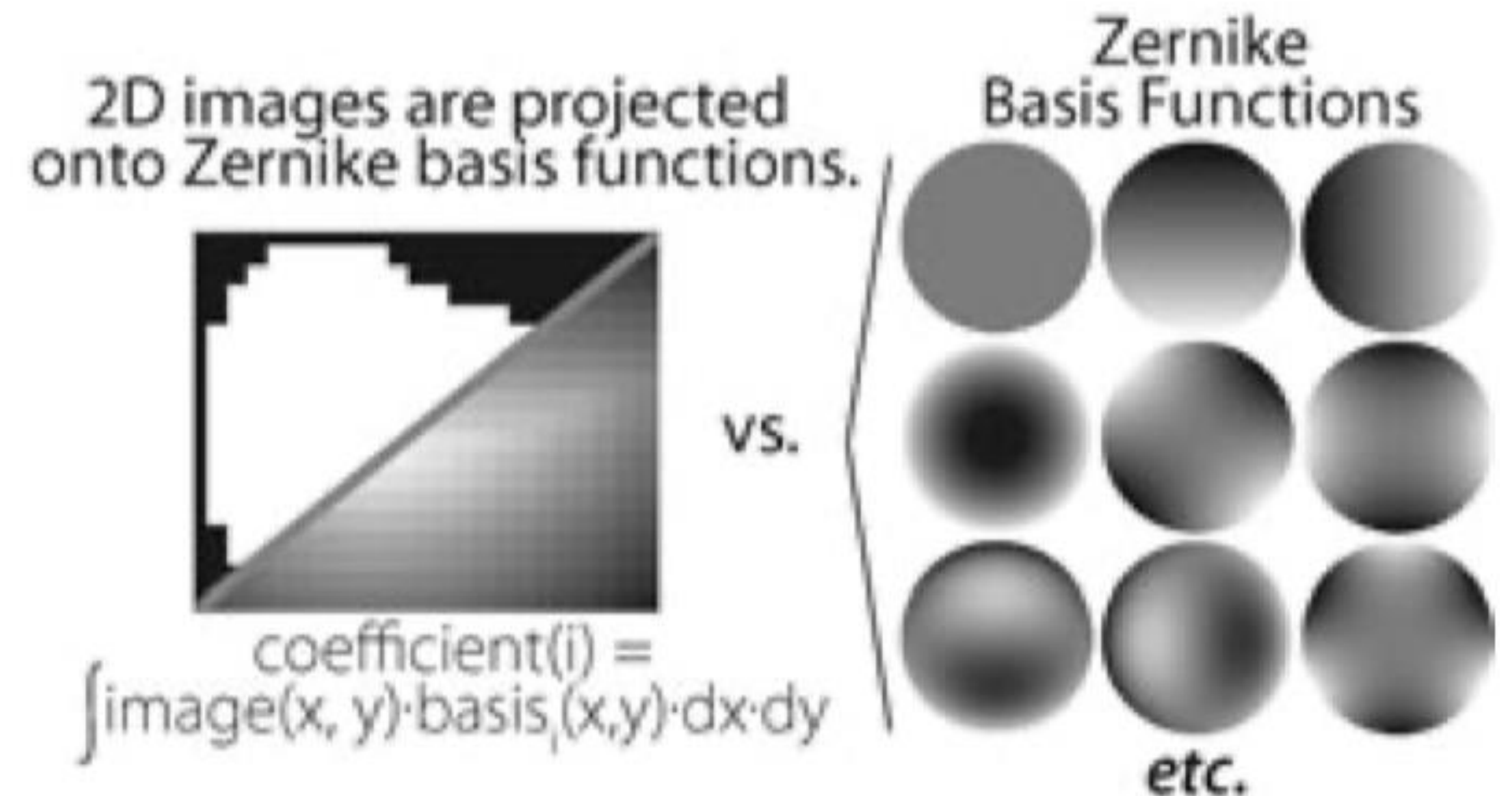
- Data must be periodic (cell periphery is a closed loop).
- Doesn't necessarily corresponds to biological phenomena.
- Usually used when shape is explicit.



# Zernike Polynomials

OR...FOURIER 2.0

- Originally developed for optical-engineering.
- Represents best circularly smooth shapes.
- Zernike base functions are orthogonal.
- Stacking together Zernike polynomial representations (as separate features) increases fidelity for irregular shapes.



# PCA & LDA

Principal Component Analysis, Linear Discriminant analysis.

- Input: multi-dimensional dataset.
- Output: description of dataset about linear, orthogonal axis using the most accountable dimensions for variations in the data (by order of accountability).  
LDA attempts to also maximise distance between labeled groups.
- Choose to -n- most significant ('accountable') axes for less complex shape models (SVM).
- Both were widely used in face-recognition(prior to deep-learning methods).



# ICA

## Independent Component Analysis

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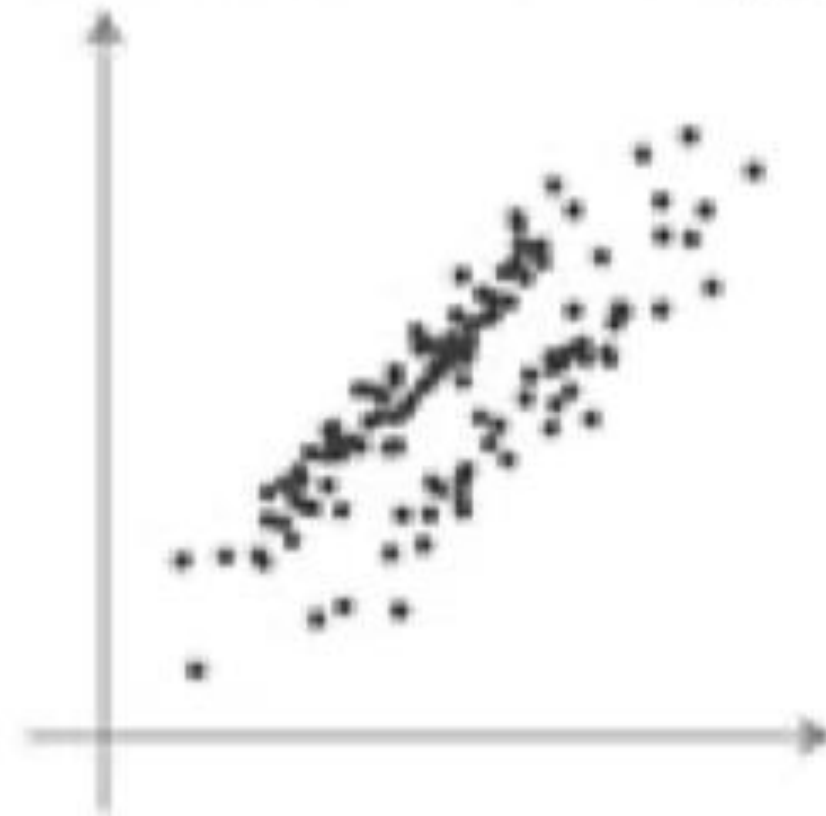
- Same input as PCA & LDA.
- Main idea: seek dimensions in which the data representation is not normal.
- ‘Unmix’ data to original (unknown) sources (i.e. cocktail party problem).
- Extracted components are not orthogonal.
- Also applied successfully to face recognition task.

# ICA & PCA differences

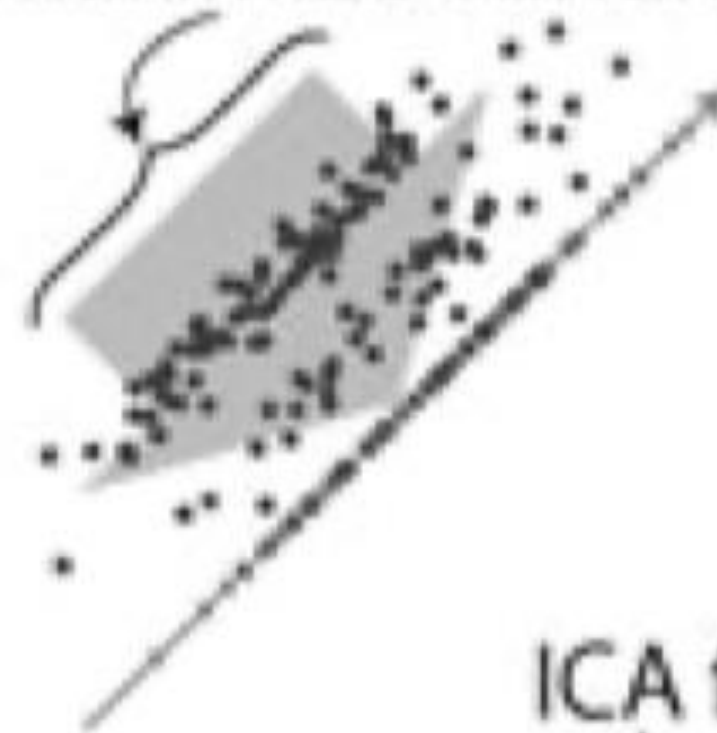
## (c) Adaptive Linear Projections

An outline or an image is a series of numbers, interpretable as a point in a high-dimensional vector space.

A data set is a cloud of points in that space.



PCA finds projections of the points which maximize **variance**.



ICA finds projections of the points which are maximally **non-Gaussian**.



# Comparing methods

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- Reconstruction Fidelity.
- Groups separation.
- Features embedded in obtained signal.



Result

		Caulobacter			MDCK			Keratocyte 1			Keratocyte 2			Keratocyte 3			
PCA	Zernike(Binary)																Interoperable
	Zernike(Distance)																
	Fourier(Outline)																
	PCA(Binary)																
	PCA(Distance)																
	PCA(Outline)																
	PCA(Zernike(Binary))																
	PCA(Zernike(Distance))																-
	PCA(Fourier(Outline))																
Zernike Polyn	ICA(Binary)																
	ICA(Distance)																
	ICA(Outline)																
ICA	ICA(Zernike(Binary))																
	ICA(Zernike(Distance))																-
	ICA(Fourier(Outline))																

DEPENDS ON THE RESEARCHER & THE DATA

# See for yourself

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- PCA - <https://scikit-learn.org/stable/modules/generated/sklearn.decomposition.PCA.html>
- LDA - [https://scikit-learn.org/stable/modules/generated/sklearn.discriminant\\_analysis.LinearDiscriminantAnalysis.html](https://scikit-learn.org/stable/modules/generated/sklearn.discriminant_analysis.LinearDiscriminantAnalysis.html)
- ICA - <https://scikit-learn.org/stable/modules/generated/sklearn.decomposition.FastICA.html>
- Zernike polynomials - <https://pypi.org/project/opticspy/>